

# Construction and Circuit Operation

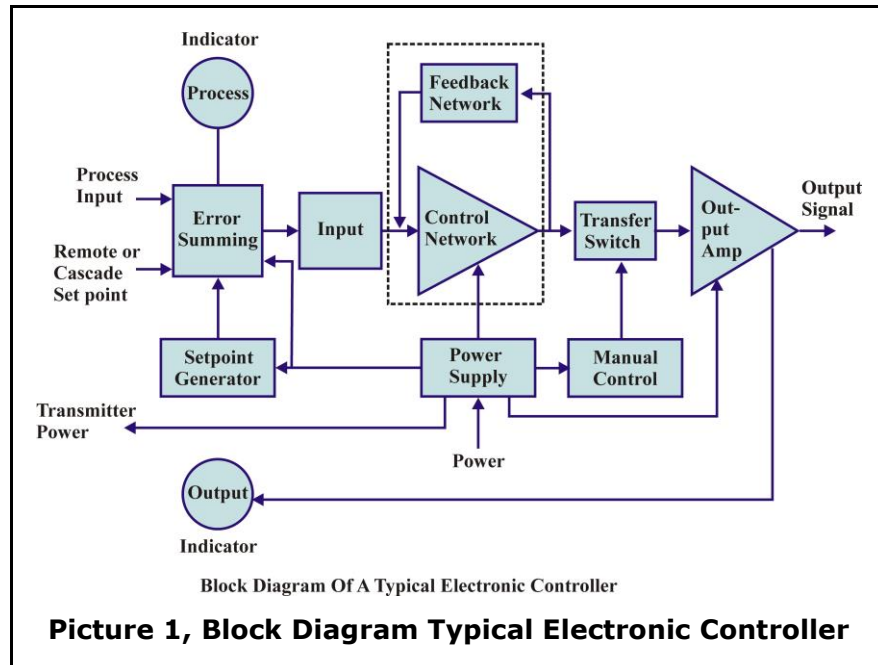
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## **A. Electronic Controller Construction and Circuit Operation**

1. Functions a controller may provide.
  - a. Allow remote process control operation
  - b. Provide signal isolation
  - c. Provide signal conversion
  - d. Provide signal comparison
  - e. Receive a process variable signal, compare it to one the operator selects and adjusts on output signal used to operate a final control element.
  - f. Provide process indication
  - g. Provide power supply to a transmitter or other loop instruments.
  - h. Provide different control modes
  - i. Provide local/remote control
  - j. Provide alarms

# Construction and Circuit Operation

## 2. Typical Construction and Circuit Operation



- a. Power supply
  - 1) Used for all components in controller
  - 2) May or may not provide power to the loop transmitter.
- b. Error summing network
  - 1) Controlled variable is compared with signal from set point generator
  - 2) Operation
    - a)  $E = C_{sp} - C_m$
    - b)  $C_m =$  measured variables  
 $C_{sp} =$  setpoint  
 $E =$  error signal
    - c) Example: if measured variable is 35% of span, and the setpoint is 40%, then the resulting error signal is:

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$$E = C_{sp} - C_m$$

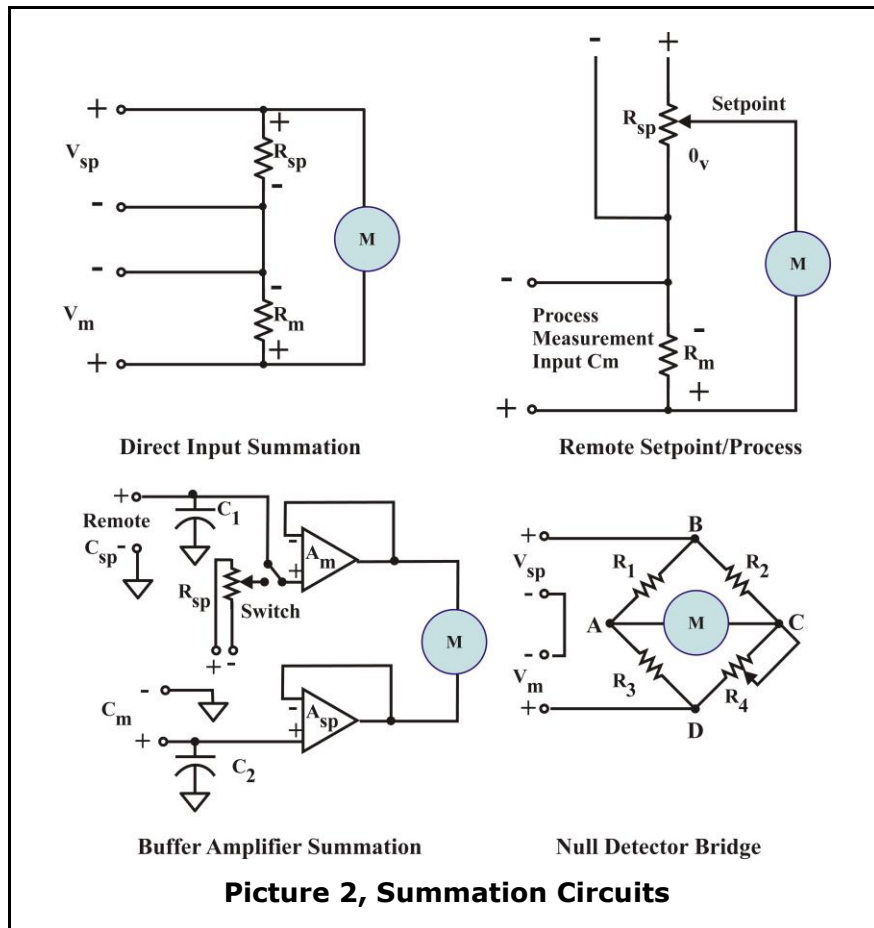
$$E = 40\% - 35\%$$

$$E = + 5\%$$

## c. Input networks

1) Provide input (error signal) to feedback and control network.

### a) Direct Input Summation



(1) With  $V_{sp} = V_m$ , meter will be nulled

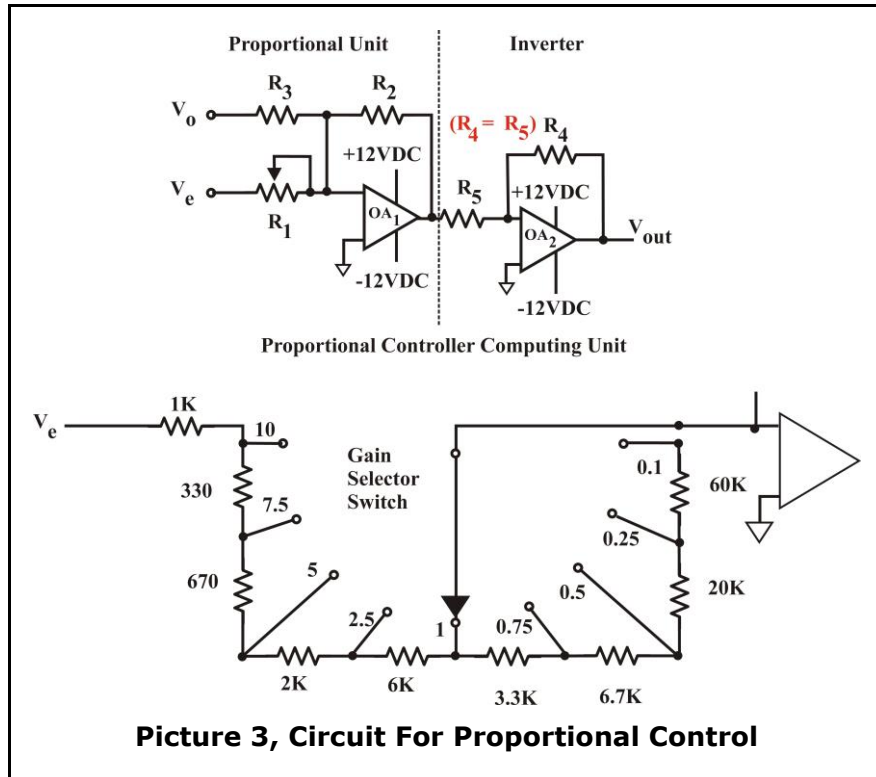
(2) Adjustable Setpoint Remote Setpoint/Process

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- (3) Remote variables impressed through  $R_{sp}$  (same value as  $R_m$ )
- (4) Any variation of voltage between  $R_m$  and  $R_{sp}$  seen as meter movement
- b) Buffer Amplifier Summation
  - (1)  $C_1$  and  $C_2$  are filters
  - (2)  $A_{sp}$  and  $A_m$  have gain = 1 (Buffers)
  - (3) Move  $R_{sp} \uparrow$  will have (+) voltage on top of deviation meter (positive error) - to cancel this error, the input signal from the controlled variable must  $\uparrow$  ( $C_m \uparrow$ )
  - (4) Most widely used circuit
  - (5) Switch selects remote or local setpoint
- c) Null Detector Bridge
  - (1) No error - meter is nulled
- d. Control & Feedback Networks (Proportional only)

# Construction and Circuit Operation

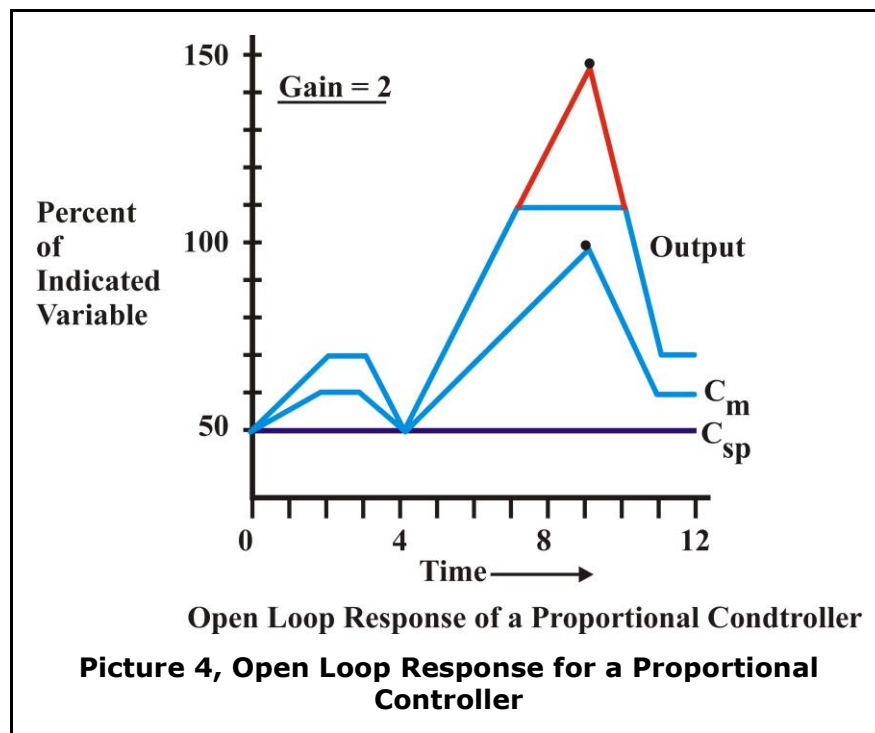


- 1) Circuit is inverting summer
- 2) OA2 is inverting amp with gain = 1
- 3)  $V_o$  = voltage used to establish controller output with zero error voltage ( $V_e$ )
- 4)  $R_1 = R_3$ , with  $V_e = 0$ ,  $V_{out} = V_o$
- 5) When error exists,  $V_{out}$  will increase or decrease in magnitude based on polarity of  $V_e$ 
  - a)  $P = K_p E_p + P_o$
  - $K_p = R_2/R_1$
  - $E_p = V_e$
  - $P_o = (R_2/R_3) V_o$
  - if:  $R_2 = R_3$

# Construction and Circuit Operation

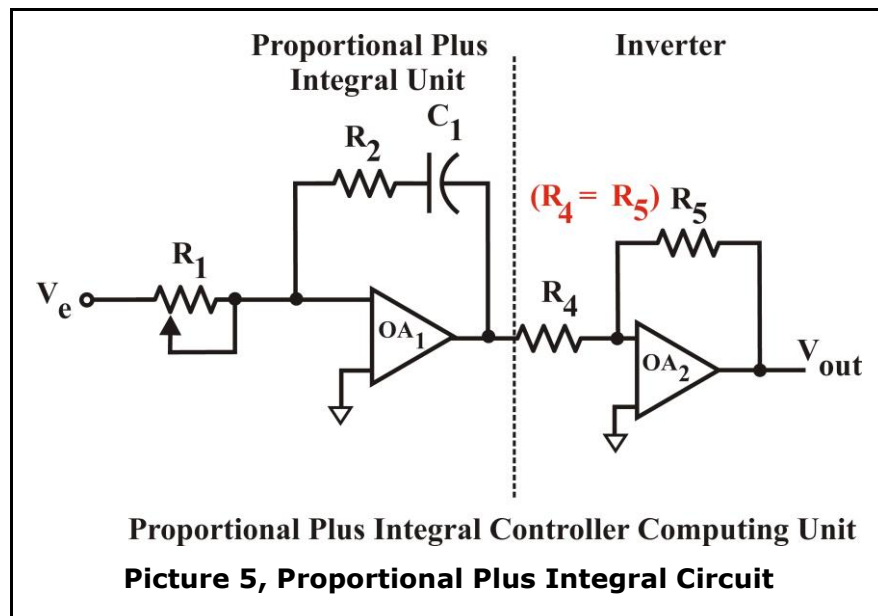
Then:  $P = (R_2/R_1) V_e + V_o$

- 6) As measured variable increases, output decreases (reverse acting controller)
- 7)  $V_{out}$  at max corresponds to 100% of input and is 10V (for 0-10V output range)
- 8) Proportional band adjusted by changing  $R_1$ .
- 9) Proportional band circuit can also use a rotary switch to select gain.
- 10) Open loop response of proportional only



e. Proportional plus integral

# Construction and Circuit Operation



- 1) Designed to solve equation.
  - a)  $P = K_p E_p + K_p K_I \int E_p \Delta t + P_o$
  - b) For a step change in input signal
 
$$P = K_p E_p + K_p K_I E_p \square t + P_o$$

$P =$  controller output in % of span

$K_p =$  proportional gain

$K_I =$  integral gain

$E_p =$  error signal

$t =$  time difference

$P_o =$  initial controller output
- 2) Circuit that solves the equation
  - a) Combination of inverting amp and integrator
  - b) Using operational calculus it can be proven that:

# Construction and Circuit Operation

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$$K_p = R_2/R_1$$

$$K_I = 1/(R_2 C_1)$$

- c) Recall that  $R \times C$  has units of seconds and the seconds are converted to minutes and  $K_I$  has units of inverse minutes (repeats per minute) so:

- d) Equation can be rewritten as

$$P = (R_2/R_1) E_P + (R_2 R_1)$$

$$1/(R_2 C_1) E_P dt + P_0$$

- (1) Proportional gain adjusted with  $R_1$  without affecting integral gain

$$K_p = \text{proportional gain} = R_2/R_1$$

$$K_I = \text{integral gain} = 1/(R_2/C_1)$$

- (2) Integral gain adjusted with  $C_1$  without affecting proportional gain.

Assume  $K_p = 2$  and  $K_I = 2$  repeats/min.

$R_2 = 300\text{K}\Omega$  and find  $R_1$  and  $C_1$

$$K_P = R_2/R_1$$

$$R_1 = R_2/K_p = 300\text{K}\Omega/2 = 150\text{K}\Omega$$

$$K_I = 1/(R_2 C_1)$$

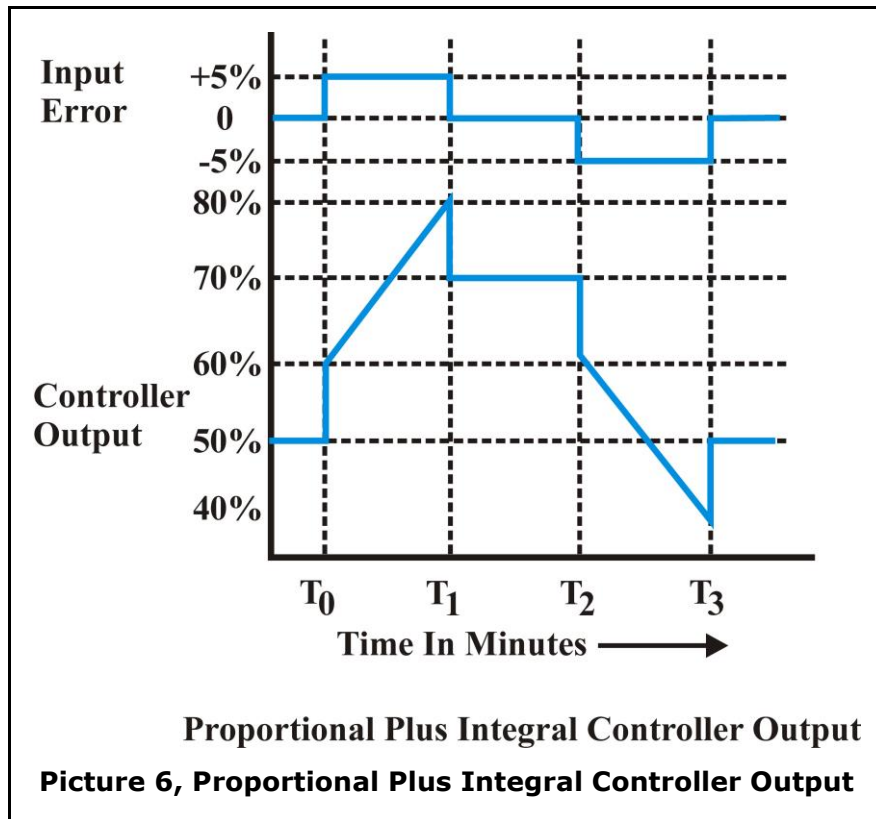
$$C_1 = 1/(K_I R_2) = 1/[(2/\text{min}) \times (1 \text{ min}/60 \text{ sec}) \times 300\text{K}]$$

$$C_1 = 100 \mu\text{f}$$

- e) Signal analysis



# Construction and Circuit Operation



- (1) Prior to  $T_0$  error signal  
 = 0 volts, output of OA1  
 = -5 VDC, output of QA2  
 = + 5VDC by charge on C1

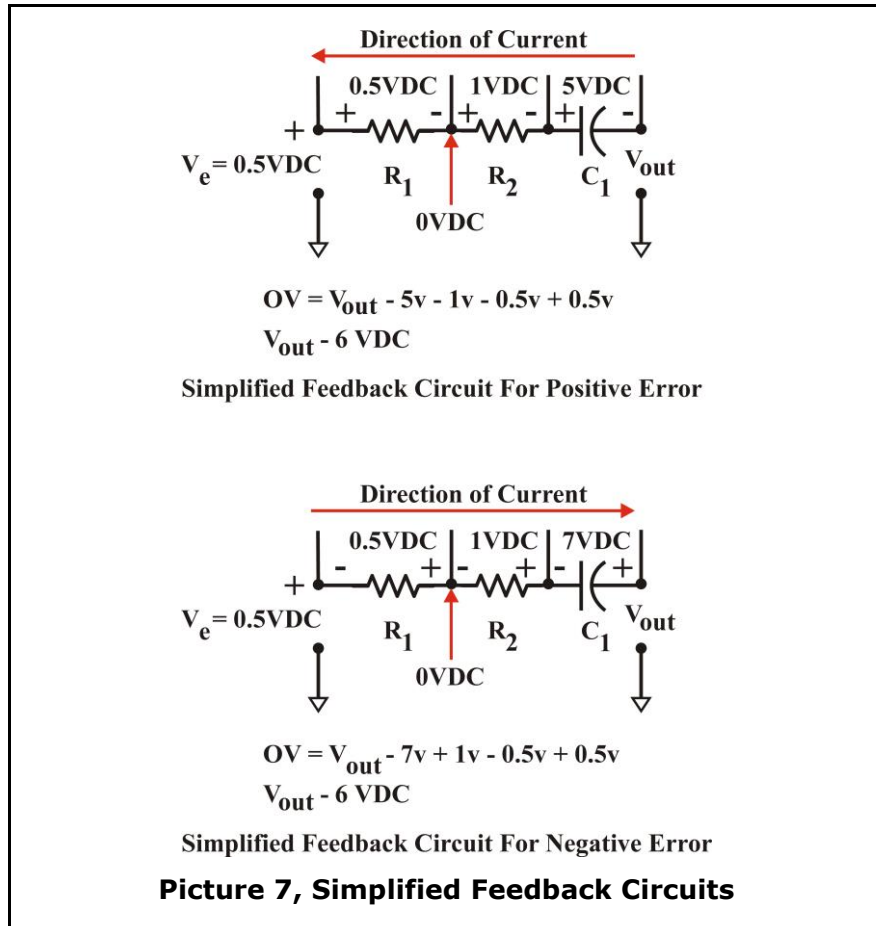
- (2) At  $T_0$ , input steps to +  
 0.5VDC and  $I_{in}$  through  
 $R_1$  is 3.33  $\mu$ ADC

$$I_{in} = \frac{V_e}{R_1} = \frac{0.5VDC}{150K} = 3.33\mu ADC$$

- (3) Voltage drop across  $R_2$  = 1VDC  
 $V_{R2} = 3.33\mu ADC$

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- (4) Voltage drop across C1 across C1 cannot change instantly - output of OA1 will be sum of volt-age drops across R2 and C1 which will be (-)6VDC.



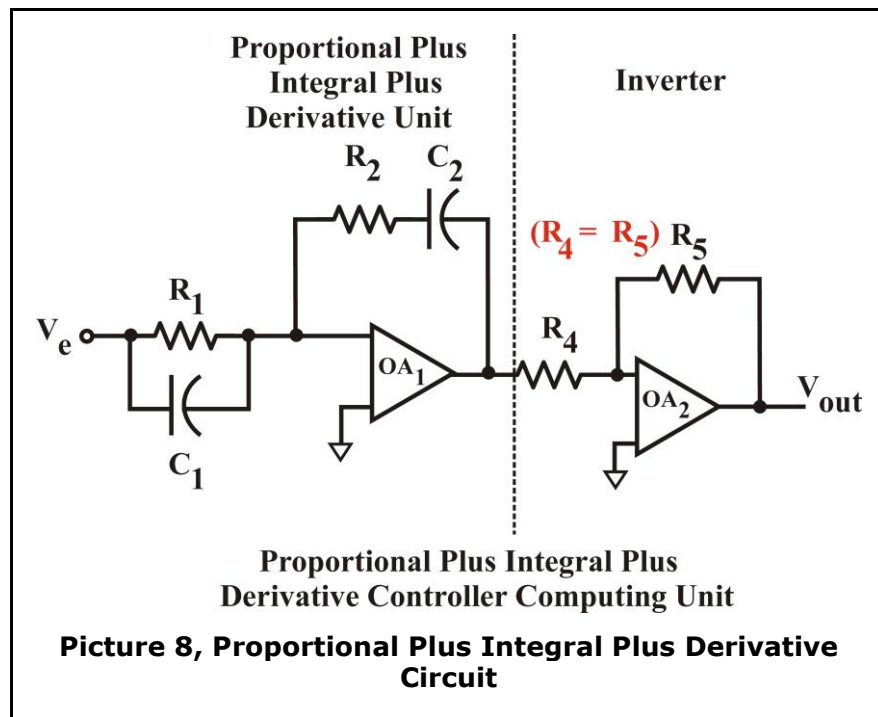
- (5) Theoretically, direct-acting controller with  $K_p = 2$  and  $K_I = 2$  repeats per minute has these output characteristics.
- (6) Assume input error signal and output signal have 0 - 10VDC ranges.
- (7) Between  $T_0$  and  $T_1$  - change on  $C_1$ , 4 and output  $\square$  in order to maintain constant  $I_{fb}$

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- (8) Instant before  $T^1$ , charge on  $C1 = 7\text{VDC}$  and  $ER2 = 1\text{VDC}$  resulting in (-) 8 VDC output from OA1
  - (9) At  $T1$ , error  $\rightarrow 0\text{VDC}$  and  $I_{in}$  and  $I_{fb} \rightarrow 0$  and so  $ER2 \rightarrow 0\text{VDC}$  and output drops to (-) 7VDC
  - (10) From  $T1$  to  $T2$  output stable at 70% - notice that unlike the proportional only controller, output of the PI controller can be stable at any level with zero error signal.
  - (11) At  $T2$ , input error drops to (-) 0.5 VDC and  $I_{in}$  and  $I_{fb}$  are again =  $3.33\mu\text{ADC}$  but now in opposite direction.
  - (12) Again,  $C1$  charge cannot change instantly and remains 7VDC initially resulting in (-) 6VDC output from OA1.
  - (13)  $T2$  to  $T3$  -  $C1$  discharges at constant current ( $I_{fb}$ ) - so voltage drop across  $C1$  decreases linearly
  - (14) At  $T3$ , charge on  $C1$  5VDC and controller output is difference between  $ER2$  and  $E_{c1} = (-) 4\text{VDC}$
  - (15) At  $T3$ , error returns to zero and output stabilizes at 5VDC (the voltage drop across  $C1$ )
  - (16) If, value of  $C1 \uparrow$ , number repeats/minute  $\uparrow$
  - (17) If  $R1 \downarrow$ , proportional gain  $\uparrow$
- f. Proportional plus integral plus derivative

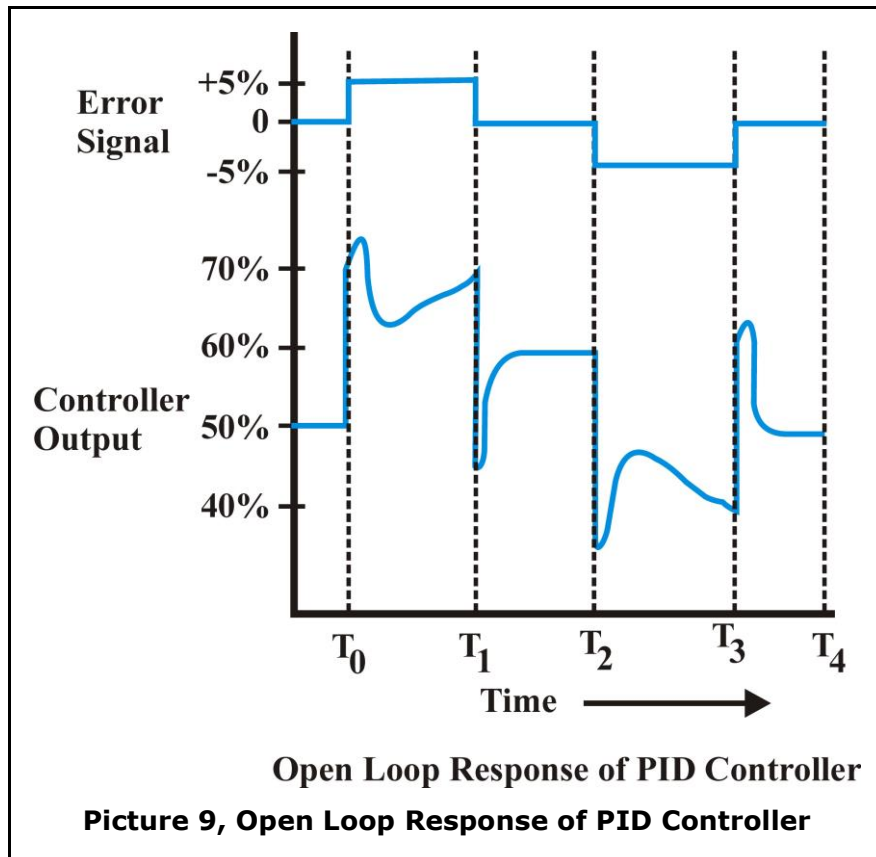
# Construction and Circuit Operation



- 1) Designed to solve equation
  - a)  $P = K_p E_p + K_p K_I \int E_p dt + K_p K_d \left( \frac{dE_p}{dt} \right) + P_o$   
 $K_d =$  derivative gain  
 $\frac{dE_p}{dt} =$  rate of change of error signal
- 2) Circuit that solves the equation
  - a) Signal analysis
    - (1) Initially at steady state and 50% output
    - (2)  $C_1$  discharged,  $C_2$  at (+) 5VDC for 0 to 10VDC span
    - (3) Assume proportional gain = 2 and integral gain of 2 repeats/minute (each time increment = 30 sec)
    - (4) Higher  $K_D$  is - the peak on the curve

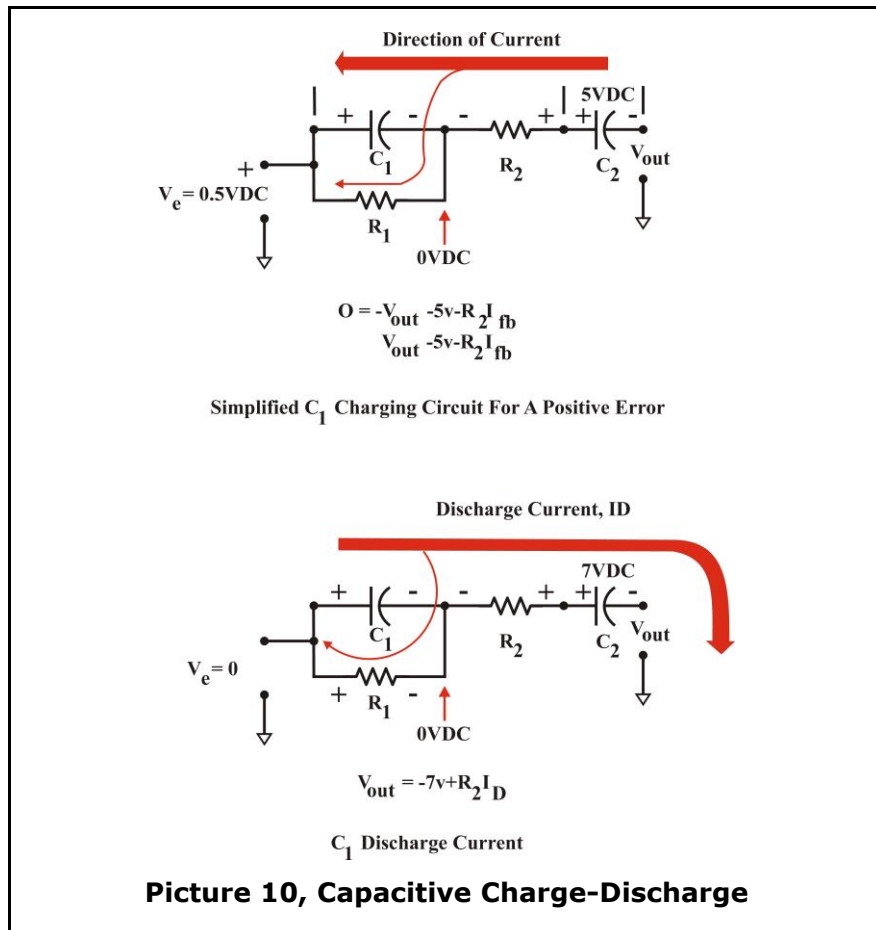
# Construction and Circuit Operation

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- (5) At  $T_0$  - C1 is short circuit,  $I_{fb}$  is large, large voltage drop across R2 which adds to charge of C2 - producing large peak.

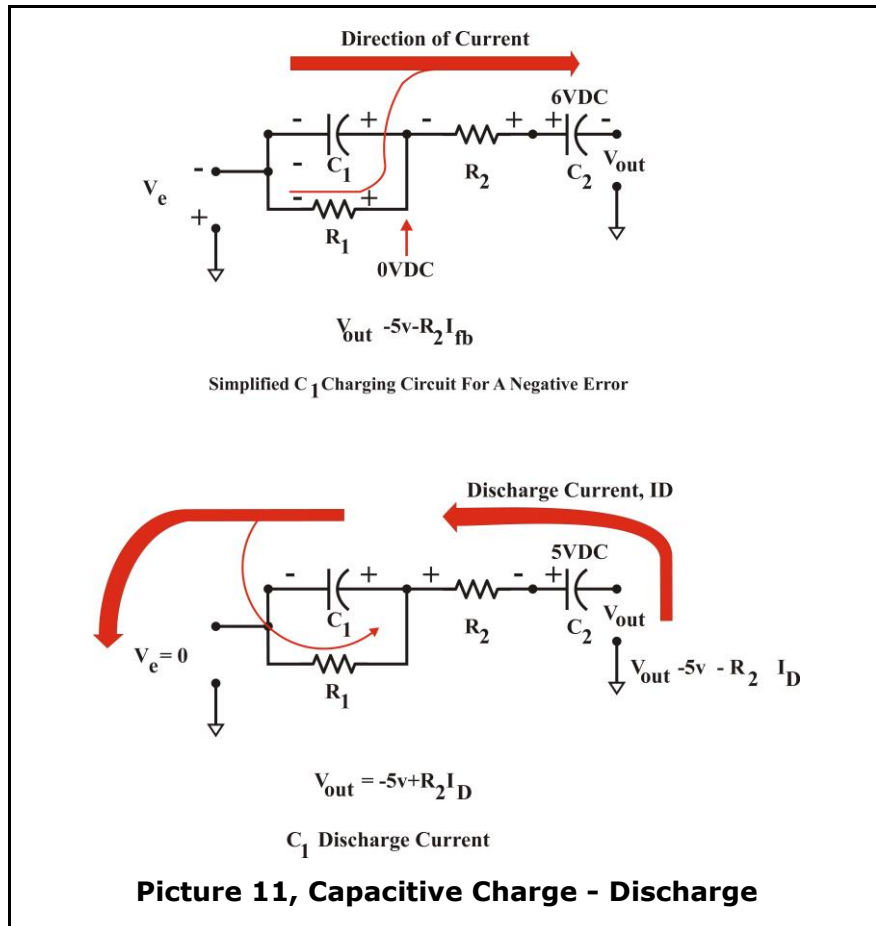
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- (6) As  $C_1$  charges to  $V_e$  current  $I$  exponentially occurs during decay of peak.
- (7) When  $C_1$  fully charged,  $I$  in and  $I_{fb}$  determined by value of  $R_1$  - notice that after 30 seconds the output has the same value as a purely PI controller has.
- (8) At  $T_1$  - input error to zero,  $C_1$  discharges, major path through  $R_2$  and  $C_2$  direction of current reversed, voltage drop of  $R_2$  opposes  $C_2$  and output voltage is difference of them - this discharge produces the peaked output shortly after  $T_1$ .

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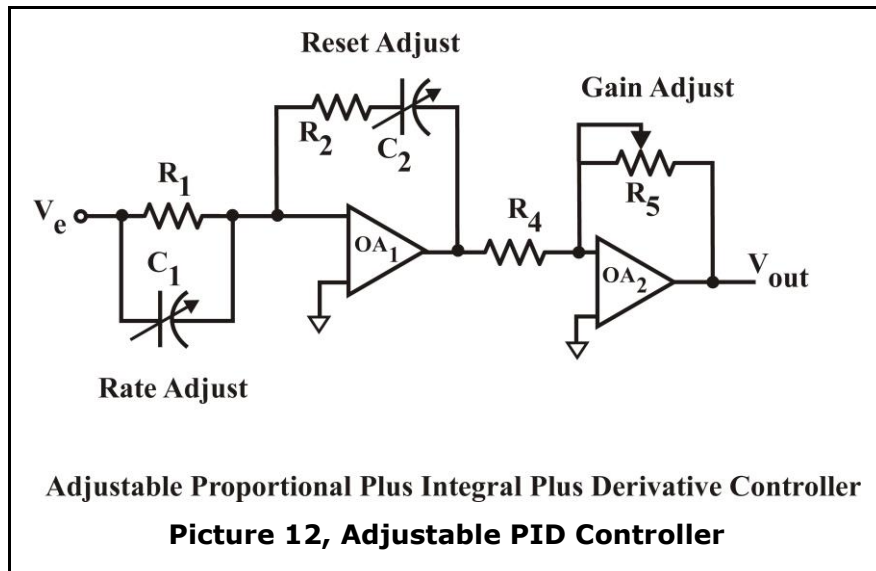
- (9) At T2 - input steps negative, C1 is short, I<sub>in</sub> & I<sub>fb</sub> are high, R2 voltage drop opposes C2 charge and output peaks low at T2.



- (10) (x) As C1 charges its current decays to zero, and output decreases between T2 and T3 as C2 discharges.
- (11) At T3 - error returns to zero - C discharges, R2 voltage drop adds to charge of C2 producing peak at T3

## 3) Adjustments

# Construction and Circuit Operation



- a)  $K_p = R_2/R_1$   
 $K_I = 1/(R_2C_2)$   
 $K_D = R_1 C_1$
- b)  $K_I$  and  $K_D$  adjusted by  $C_2$  and  $C_1$
- c)  $K_p$  adjusted by  $R_5$



# Construction and Circuit Operation

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## **PRACTICE:**

1. What basic component is added to a proportional only electronic controller to make it a proportional plus integral controller?
  
2. What basic component is added to a proportional only electronic controller to make it a proportional plus derivative controller?